$$\begin{array}{ccc} \text{Lim} & 2x^2 \\ x \rightarrow -\infty & \overline{x^2 - 4} \end{array}$$

3) Lim
$$-\frac{\chi^2 - 4}{\chi - 2}$$

Ch. 9 - DEF OF A DERIVATIVE

RATE OF CHANGE

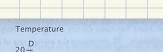
EXAMPLES:

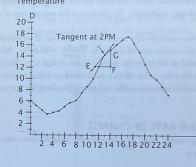
dy = m or slope so the derivative of a function dx reprents slope.

AVERAGE RATE OF CHANGE

LIKE Velocity = total miles

total hours





Find the average rate of change in Idaho's temperature with respect to time:

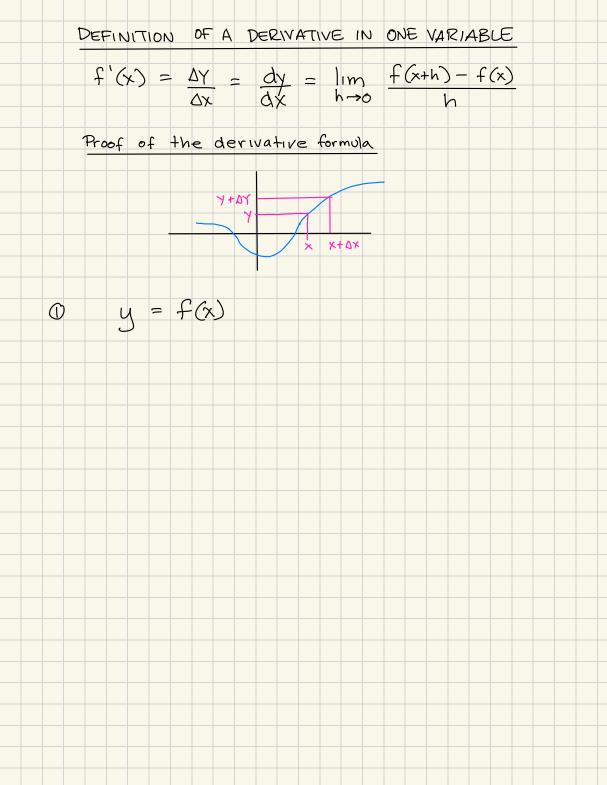
- a. From midnight to 4 a.m.
- b. From 11 a.m. to 3 p.m.
- c. Estimate the instantaneous rate of change at 2 p.m.

INSTANTAN EOUS RATE OF CHANGE

lm ΔΥ ΔX→0 ΔX

what does this mean?

derivative represent slope of the tangent line at 1 point



FINDING A DERIVATIVE USING DEFINITION

$$y' = f'(x) = \frac{dy}{dx} = f(x+h) - f(x)$$

$$h$$
find $\frac{dy}{dx}$ for $y = 3x^2 + 5$ (or y')

STEP 1 replace x with $(x+h)$

$$y=f(x)$$
 so $f(x+h)=$

$$[x + y] = 2x - x^2$$

$$y = -4$$

$$\boxed{\text{Ex. 6}} \quad \text{y= 4x + 1}$$

$$EX.7$$
 $f(x) = 2JX$ * NOTE * WHEN YOU HAVE A J YOU MUST MULTIPLY BY THE CONJUGATE.

! IMPORTANT!

GREATEST INTEGER FUNCTION

$$f(x) = [x] \quad \text{for each value of } x, f(x) \text{ is the greatest integer } \angle x.$$

$$[x, 9] \quad \text{Graph} \quad f(x) = [x] + 1 \quad \text{for } x \text{ in } [1,1]$$

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Find
$$\frac{dy}{dx}$$
.

1.
$$f(x) = 6 - 2x$$

2.
$$f(x) = 3x^2 + 7$$

3.
$$f(x) = 4x^2 - x + 2$$

4.
$$f(x) = 1 - 2x^3$$

LESSON PRACTICE 9B

$$5. \quad f(x) = 2\sqrt{x}$$

6.
$$f(x) = \frac{3}{x}$$

7.
$$f(x) = \frac{-2}{1-x}$$

8.
$$f(x) = \frac{1}{x} + 2x$$